

# Learning Large-scale Neural Fields via Context Pruned Meta-Learning

Jihoon Tack, Subin Kim, Sihyun Yu, Jaeho Lee, Jinwoo Shin, Jonathan Richard Schwarz



# Neural Fields (NFs) / Implicit Neural Representations (INRs)

**NFs** represents signals as continuous coordinate-mapping functions parameterized by a neural net

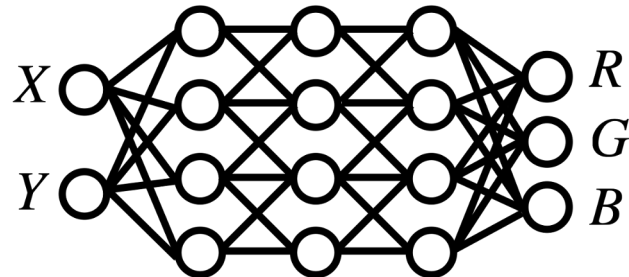
For instance, an **RGB image** can be represented as a function taking a form

coords  $(X, Y)$   $\mathbb{R}^2$   $\longrightarrow$  values  $(R, G, B)$   $\mathbb{R}^3$



$$f_{\text{img}} \left( \frac{76}{255}, \frac{152}{255} \right) = (0.95, 0.03, 0.04)$$

This can be learned by a neural network (usually a MLP) with  $d_{\text{in}} = 2, d_{\text{out}} = 3$



$$\min_{\theta} \left\| f_{\text{img}} - f_{\theta} \right\|_{L_2}$$

# Why are Neural Fields interesting?

Neural Fields have the **potential** to be a popular form of **data representation** in the near future!

- Interesting point 1. Effective at novel view synthesis (or resolution free!) [1,2]



Pixels

Bilinear

INR-decoder



Rendering: Image  $\rightarrow$  3D

[1] Chen et al. Learning Continuous Image Representation with Local Implicit Image Function. CVPR 2021

[2] Mildenhall et al. NeRF in the Dark: High Dynamic Range View Synthesis from Noisy Raw Images. CVPR 2022

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- Interesting point 2. Represent complex signals [3,4], e.g., large-scale 3d scenes, videos



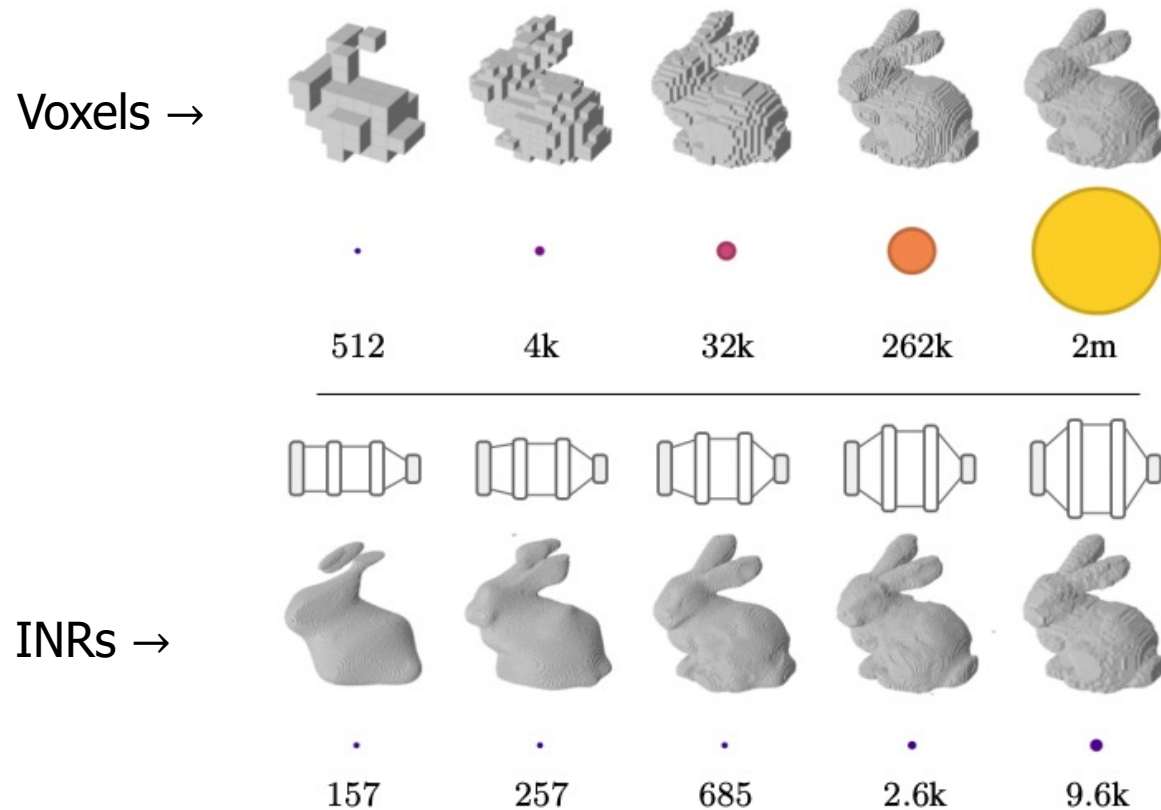
[3] Tancik et al. Block-NeRF: Scalable Large Scene Neural View Synthesis. CVPR 2022

[4] Muller et al. Instant Neural Graphics Primitives with a Multiresolution Hash Encoding. SIGGRAPH 2022

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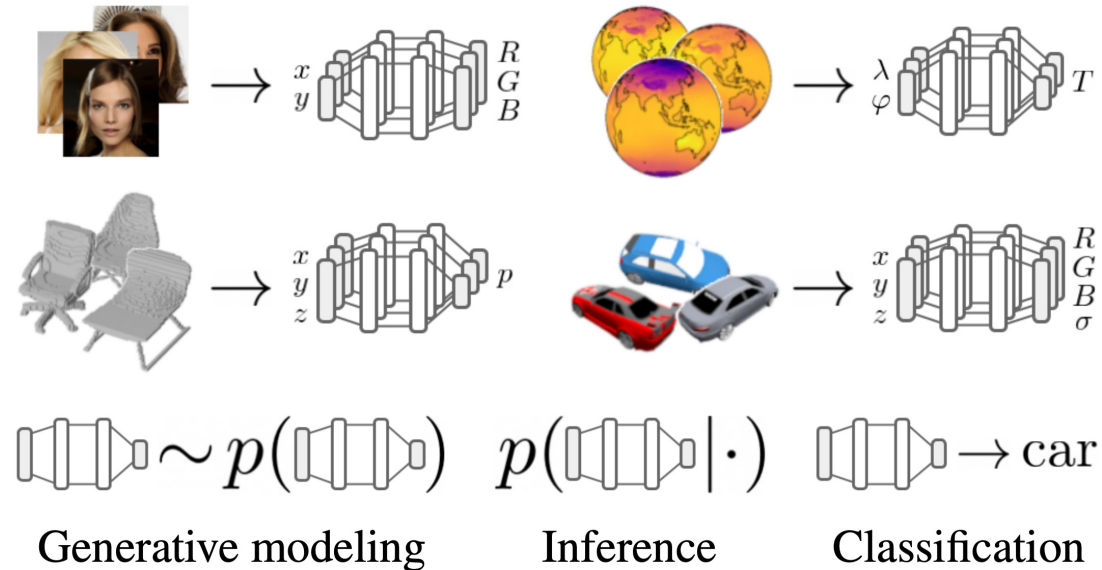
- Interesting point 3. Storage efficient [5]



# Why are Neural Fields interesting?

Neural Fields have the **potential** to be a popular form of **data representation** in the near future!

- Interesting point 4. NF it-self can be used as a data point! [6,7]



**Step 1:** Fit data points into INRs

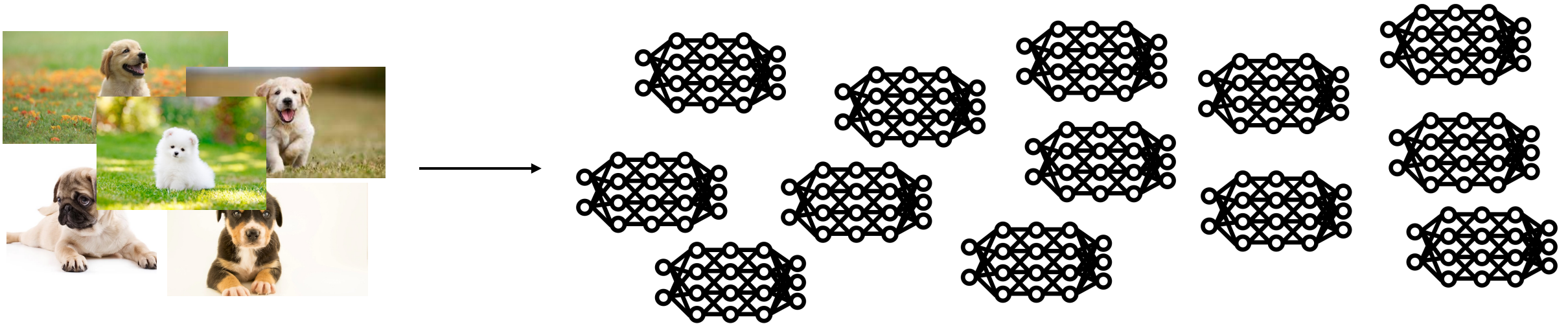
**Step 2:** Run downstream tasks, e.g., classification

[6] Dupont et al. From data to functa: Your data point is a function and you should treat it like one. ICML 2022

[7] Bauer et al., Spatial Functa: Scaling Functa to ImageNet Classification and Generation. ICLR workshop on Neural Fields 2023

# An Obstacle

**Q.** Can we scale such an idea to a **Big Dataset**? / How to train a **foundation model** for NFs?



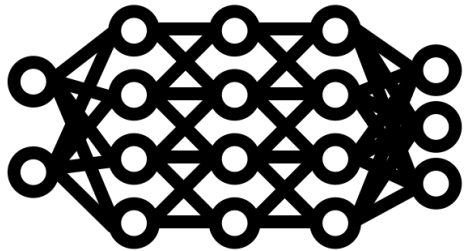
Imagine training **ImageNet number** of these....

# An Obstacle

Q. Can we scale such an idea to a **Big Dataset?** / How to train a **foundation model** for NFs?

We mainly face **three challenges**

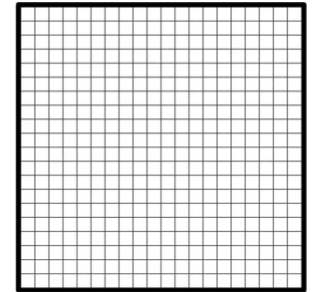
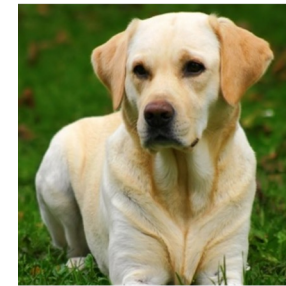
- how to fit neural fields in a **parameter-efficient** way
- how to fit neural fields in a **time-efficient** way
- how to fit neural fields in a **memory-efficient** way



Need to save a neural network...



Training time is costly...



Memory issue when learning high-resolution signals...



# An Obstacle

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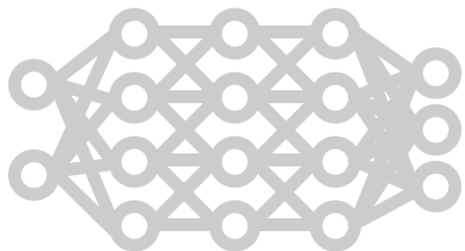
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## GradNCP (this paper)

→ time and memory-efficient learning for neural fields

Time and parameter-efficient learning for neural fields?

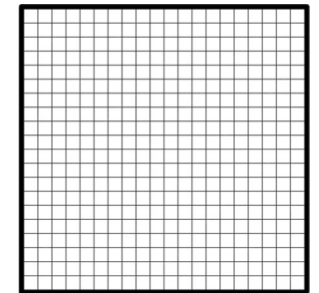
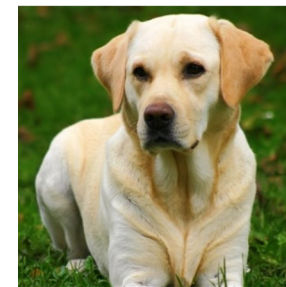
→ *Check our prior works [8,9]*



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Memory issue when learning high-resolution signals...

[8] Lee et al. Meta-Learning Sparse Implicit Neural Representations. NeurIPS 2021

[9] Schwarz et al., Modality-Agnostic Variational Compression of Implicit Neural Representations. ICML 2023

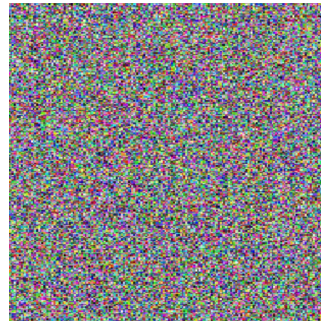
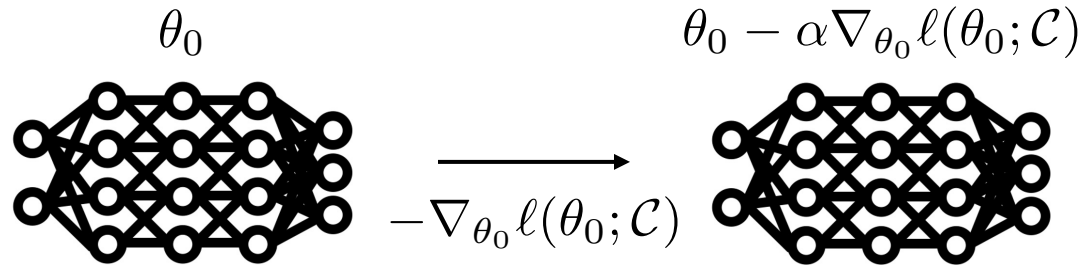
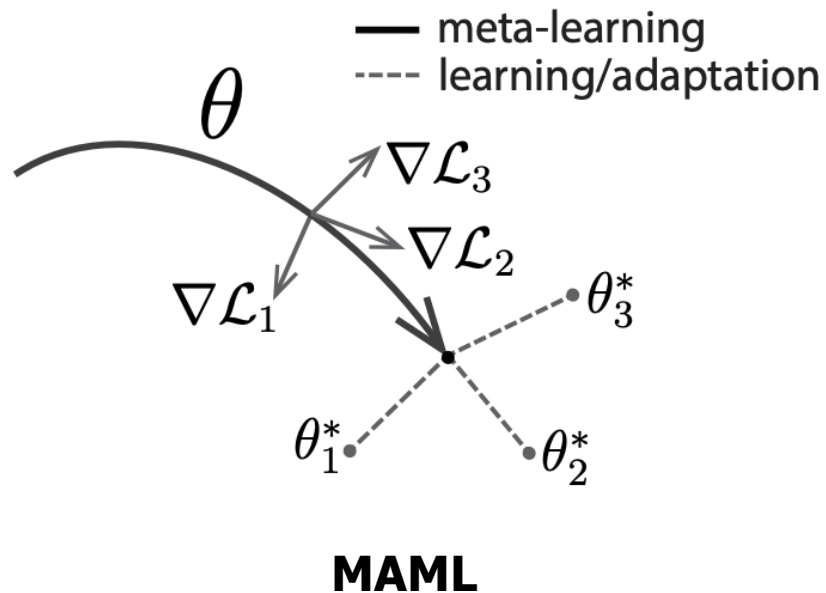
# Time-efficiency: Use Meta-Learning

Prior works have use meta-learning; **optimization-based meta-learning** shows versatile usages

→ learning a good initialization [10]

Objective?

Find an initialization  $\theta_0$  such that **few-step gradients** can fit the signal



$(\mathbf{x}, \mathbf{y}) \in \mathcal{C}$

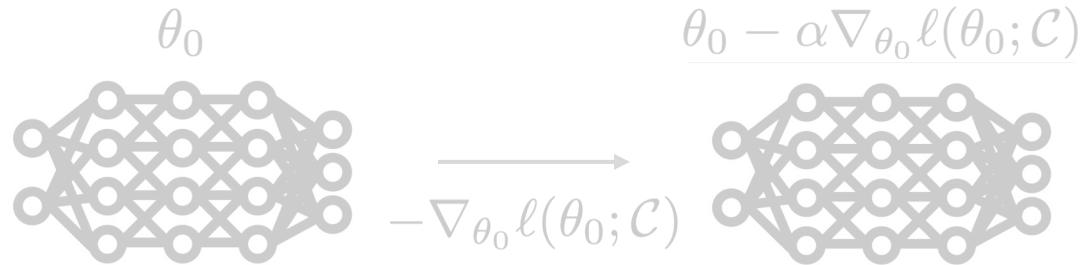
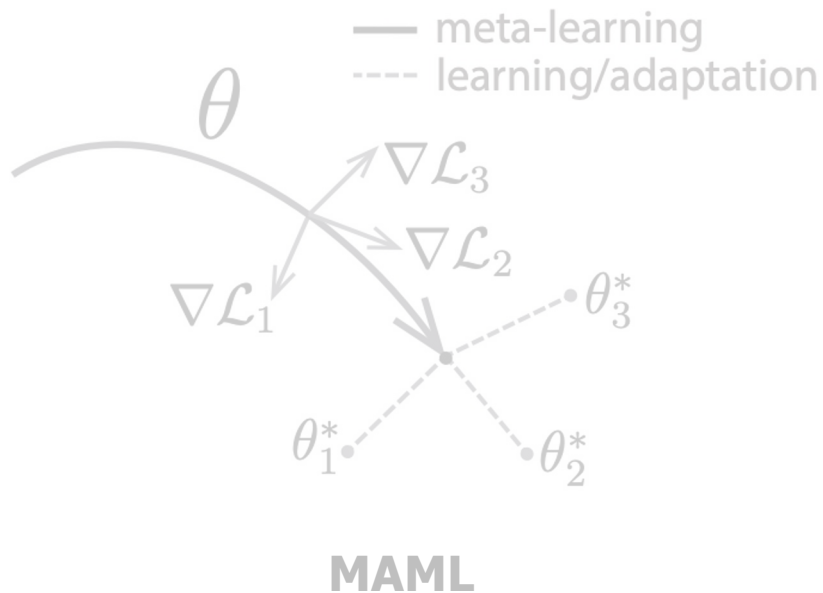
$\mathbf{x}$  : coordinate  
 $\mathbf{y}$  : signal value

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**Train over multiple signals (batch of signals):**

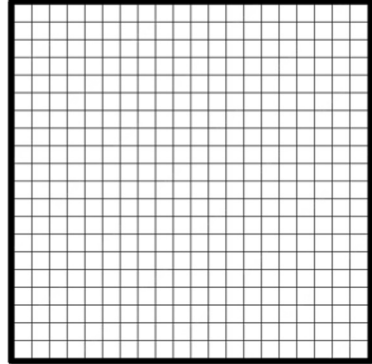
$$\theta_0 = \operatorname{argmin}_{\theta_0} \frac{1}{N} \sum_{i=1}^N \ell(\theta_0 - \alpha \nabla_{\theta_0} \ell(\theta_0; \mathcal{C}^{(i)}); \mathcal{C}^{(i)})$$

Hessian computation: **memory scales linearly with the number of context set**

# Time-efficiency: Use Meta-Learning

As the signal resolution increases *memory usage rapidly increases*

- Image with resolution  $224 \times 224$ ? **Context set size of 50,176** (# of input coordinates)



**For videos...?** we should consider the timestep!  
→ e.g.,  $50,176 * 16$  (about 800K)

$\theta_1^*$       $\theta_2^*$

MAML

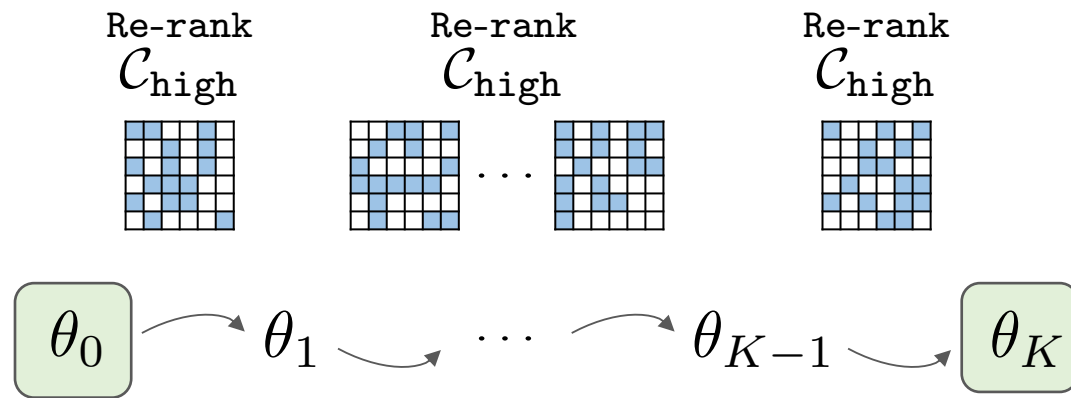
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# High-level overview of GradNCP

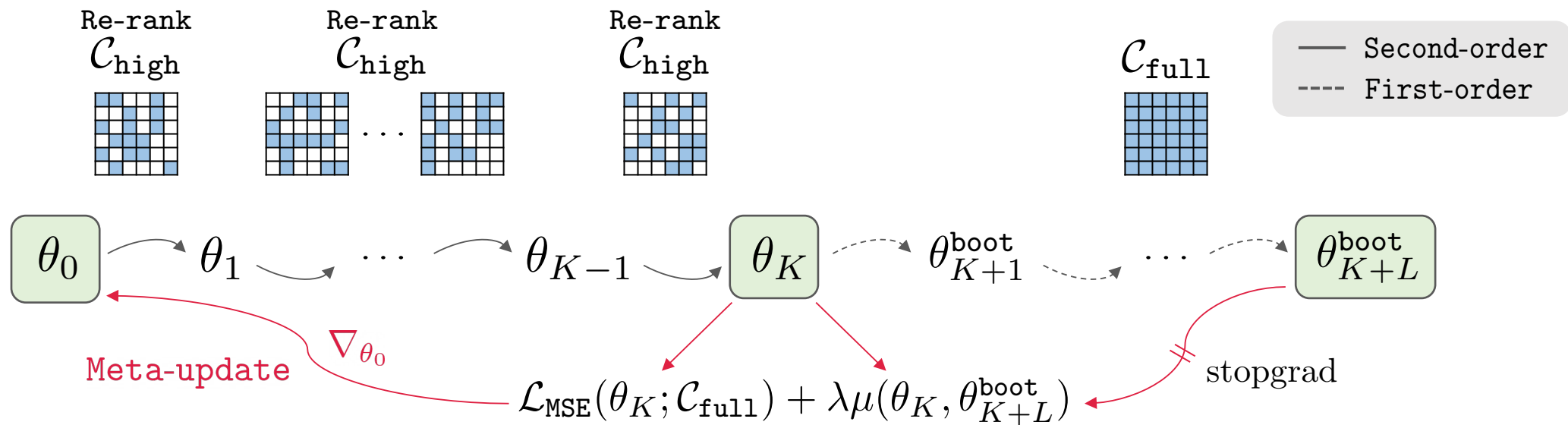
Idea1: Select the **most important context samples** for every adaptation step



# High-level overview of GradNCP

Idea1: Select the **most important context samples** for every adaptation step

Idea2: **Correct the error** made by the context pruning

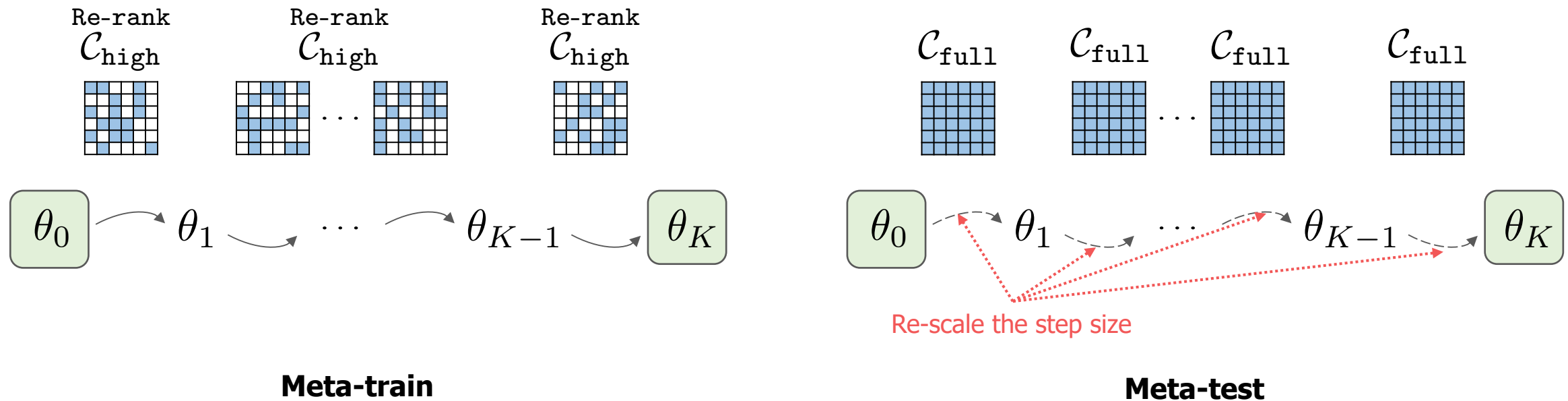


# High-level overview of GradNCP

Idea1: Select the **most important context samples** for every adaptation step

Idea2: **Correct the error** made by the context pruning

Idea3: **Re-scale the gradient step size** when using the full context set during meta-testing



# Gradient norm-based context pruning

How to select important samples **efficiently?**

- 1. Select a subset of data with the **highest expected immediate improvement in model quality**
- 2. Consider the last layer update only (quite a reasonable choice for NFs [9], also for meta-learning [11])

$$\begin{aligned} & \ell(\theta_k; \{(\mathbf{x}, \mathbf{y})\}) - \ell(\theta'_k; \{(\mathbf{x}, \mathbf{y})\}) && \text{(Immediate improvement in model quality)} \\ & \approx \ell(\theta_k; \{(\mathbf{x}, \mathbf{y})\}) - \ell(\theta_k - \alpha g_k; \{(\mathbf{x}, \mathbf{y})\}) && \text{(Last layer update only)} \\ & \approx \ell(\theta_k; \{(\mathbf{x}, \mathbf{y})\}) - \left( \ell(\theta_k; \{(\mathbf{x}, \mathbf{y})\}) - \alpha g_k^\top \nabla_{\theta_k} \ell(\theta_k; \{(\mathbf{x}, \mathbf{y})\}) \right) && \text{(Taylor approximation)} \\ & = \alpha g_k^\top \nabla_{\theta_k} \ell(\theta_k; \{(\mathbf{x}, \mathbf{y})\}) = \alpha \|g_k\|_2^2 && \text{(Last layer gradient norm)} \end{aligned}$$

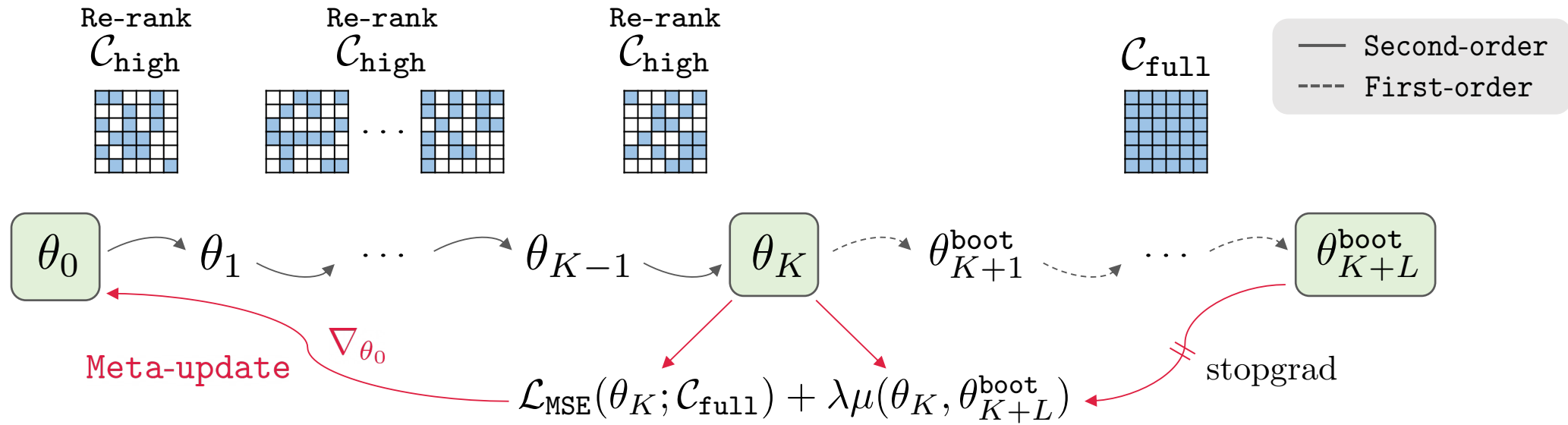
→ This score can be calculated with only a single forward pass

$$R_k^{\text{GradNCP}}(\mathbf{x}, \mathbf{y}) := \left\| (\mathbf{y} - f_{\theta_k}(\mathbf{x})) [\phi_{\theta_k^{\text{base}}}(\mathbf{x}), \mathbf{1}]^\top \right\|$$

$\phi(\cdot)$ : penultimate feature  
 $f(\cdot)$ : network output  
 $k$ : inner adaptation step



# Bootstrapped correction



Information loss occurs as we prune out some context points

- Idea: further update the network with **the full context set** by **using the first-order gradients**
- After adapting this bootstrapped target  $\theta_{K+L}^{\text{boot}}$ , minimize the parameter distance between  $\theta_K$

This bootstrapped target is also well-known to minimize the myopia (short-horizon bias) of optimization [12]

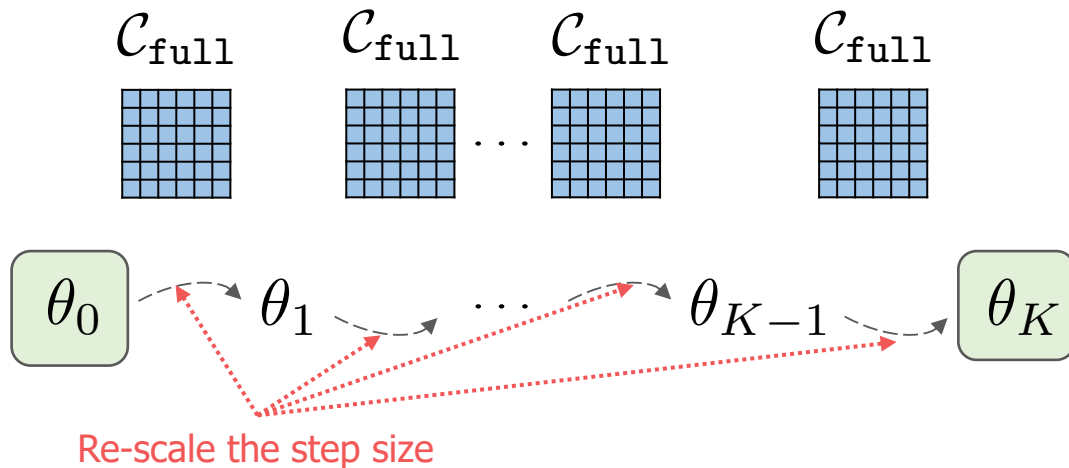
# Gradient re-scaling

For meta-testing, we can use first-order gradients for adaptation (second-order is for learning init.)

The **gradient step size deviates a lot** from meta-train (pruned set) and meta-test (full set)

→ Gradient re-scaling: reducing the distributional shift between train/test

- Similar ideas can be found in Dropout (activation scaling) [13]



$$g_t^{\text{test}} \leftarrow \underbrace{\frac{\|\nabla_{\theta_t} \mathcal{L}_{\text{MSE}}(\theta_t; C_{\text{high}})\|}{\|\nabla_{\theta_t} \mathcal{L}_{\text{MSE}}(\theta_t; C_{\text{full}})\|}}_{\text{Scale-factor}} \nabla_{\theta_t} \mathcal{L}_{\text{MSE}}(\theta_t; C_{\text{full}})$$

# Overall algorithm

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## Algorithm 1 Meta-training of GradNCP

---

**Input:** Initial  $\theta_0$ ,  $\{\mathbf{s}_i\}_{i=1}^N$ ,  $\gamma$ ,  $\alpha$ ,  $\beta$ ,  $\lambda$ ,  $K$ ,  $L$

- 1: **while** not converge **do**
- 2:   Sample batch  $\{\mathbf{s}_1, \dots, \mathbf{s}_B\}$ .
- 3:   **for all**  $b = 1$  to  $B$  **do**
- 4:     Extract context  $\mathcal{C}_{\text{full}}$  from  $\mathbf{s}_b$ .
- 5:     **for all**  $k = 0$  to  $K - 1$  **do**
- 6:       # Online Context pruning
- 7:        $\mathcal{C}_{\text{high}}^k = \text{TopK}(\mathcal{C}_{\text{full}}; R_k, \gamma)$
- 8:        $\theta_{k+1} \leftarrow \theta_k - \alpha \nabla_{\theta_k} \mathcal{L}_{\text{MSE}}(\theta_k; \mathcal{C}_{\text{high}}^k)$
- 9:     **end for**
- 10:    # Generate target in L steps
- 11:     $\theta_{K+1}^{\text{boot}} \leftarrow \theta_K - \alpha \nabla_{\theta_K} \mathcal{L}_{\text{MSE}}(\theta_K; \mathcal{C}_{\text{full}})$
- 12:    ...
- 13:     $\mathcal{L}_{\text{total}}^b = \mathcal{L}_{\text{MSE}}(\theta_K; \mathcal{C}_{\text{full}}) + \lambda \mu(\theta_K, \theta_{K+L}^{\text{boot}})$
- 14:    **end for**
- 15:     $\theta_0 \leftarrow \theta_0 - \beta \frac{1}{B} \sum_{b=1}^B \nabla_{\theta_0} \mathcal{L}_{\text{total}}^b$
- 16: **end while**

**Output:**  $\theta_0$

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## Algorithm 2 Meta-testing of GradNCP

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**Input:** Test signal  $\mathbf{s}$ , learned initialization  $\theta_0$ ,  $K_{\text{test}}$

- 1: Extract context  $\mathcal{C}_{\text{full}}$  from  $\mathbf{s}$ .  
# Where typically  $K_{\text{test}} > K + L$
- 2: **for all**  $t = 0$  to  $K_{\text{test}} - 1$  **do**
- 3:   # Context pruning
- 4:    $\mathcal{C}_{\text{high}} = \text{TopK}(\mathcal{C}_{\text{full}}; R_t, \gamma)$   
# Compute gradient scaling  
 $g_t^{\text{test}} = \frac{\|\nabla_{\theta_t} \mathcal{L}_{\text{MSE}}(\theta_t, \mathcal{C}_{\text{high}})\|}{\|\nabla_{\theta_t} \mathcal{L}_{\text{MSE}}(\theta_t, \mathcal{C}_{\text{full}})\|} \nabla_{\theta_t} \mathcal{L}_{\text{MSE}}(\theta_t, \mathcal{C}_{\text{full}})$   
# Adaptation with full context
- 5:    $\theta_{t+1} \leftarrow \theta_t - \alpha \cdot g_t^{\text{test}}$
- 6: **end for**

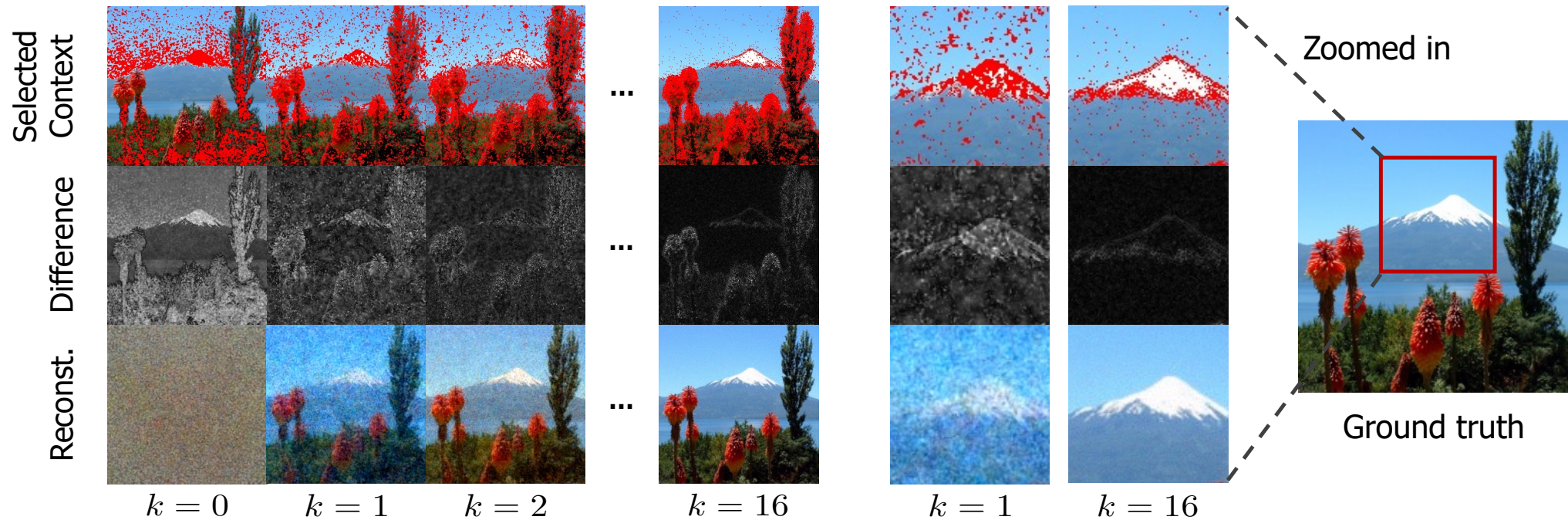
**Output:**  $\mathcal{L}_{\text{MSE}}(\theta_T, \mathcal{C}_{\text{full}}), \theta_T$

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# Visualization

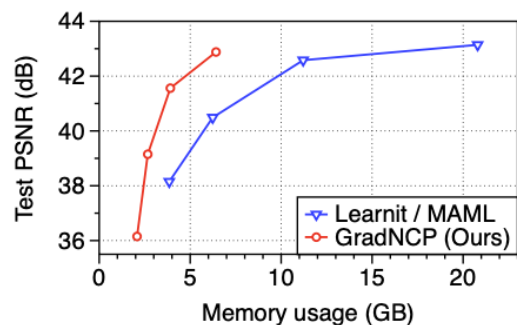
Visualization of the selected context point

- Interestingly, it automatically **captures the global shape first**, then captures the high-frequency details
- → prior works do this in a hand-craft manner [14]

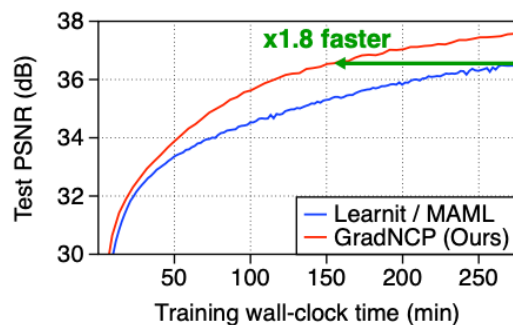


# Results

## Efficiency of GradNCP



(a) Memory consumption

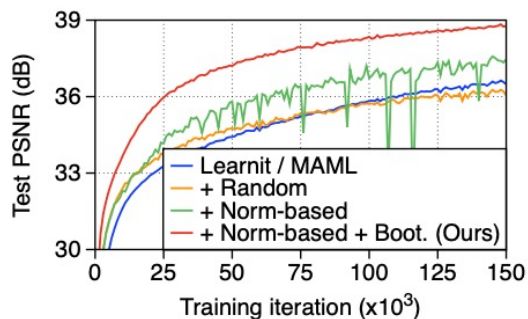


(b) Runtime efficiency

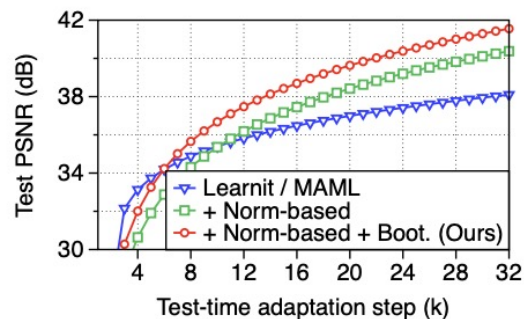


(c) Context scoring quality

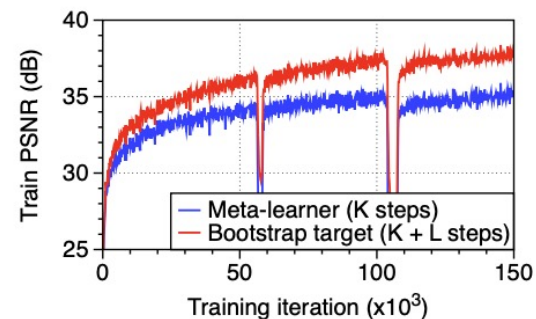
## Effectiveness of Bootstrapped correction



(a) GradNCP component analysis



(b) Myopia



(c) Bootstrap target performance

# Results: Quantitative

GradNCP achieves state-of-the-art performance on meta-learning neural fields in all modalities

Image

	CelebA (178 × 178)	Imagenette (178 × 178)	Text (178 × 178)
Random Init.	19.94 / 0.532 / 0.708	18.57 / 0.443 / 0.810	15.37 / 0.574 / 0.755
TransINR [6]	32.37 / 0.913 / 0.068	28.58 / 0.850 / 0.165	22.70 / 0.898 / 0.085
IPC [29]	35.93 / - / -	38.46 / - / -	- / - / -
Learnit / MAML [61]	38.28 / 0.964 / 0.010	35.66 / 0.950 / 0.014	30.31 / 0.956 / 0.018
<b>GradNCP (Ours)</b>	<b>40.60 / 0.976 / 0.005</b>	<b>38.72 / 0.972 / 0.005</b>	<b>32.33 / 0.976 / 0.007</b>

	ImageNet (256 × 256)	AFHQ (512 × 512)	CelebA-HQ (1024 × 1024)
Random Init.	18.72 / 0.434 / 0.839	18.57 / 0.488 / 0.856	12.21 / 0.574 / 0.820
TransINR [6]	28.01 / 0.818 / 0.199	23.43 / 0.592 / 0.573	—— OOM ——
Learnit / MAML [61]	31.44 / 0.887 / 0.100	28.58 / 0.751 / 0.354	27.66 / 0.781 / 0.513
<b>GradNCP (Ours)</b>	<b>32.52 / 0.898 / 0.068</b>	<b>29.61 / 0.786 / 0.286</b>	<b>28.90 / 0.789 / 0.438</b>

Audio

Method	PSNR (↑)	
	1 sec	3 sec
TransINR [6]	39.22	33.17
IPC [29]	40.11	35.38
Learnit / MAML [61]	39.55	31.39
<b>GradNCP (Ours)</b>	<b>43.25</b>	<b>36.24</b>

Manifold

Method	PSNR (↑)
Learnit / MAML [61]	64.91
<b>GradNCP (Ours)</b>	<b>75.11</b>

Video

Resolution	Network	Method	PSNR (↑)	SSIM (↑)	LPIPS (↓)
128×128×16	SIREN	TransINR [6]	15.14	0.360	0.636
		Learnit / MAML [61]	25.46	0.720	0.363
		<b>GradNCP (Ours)</b>	<b>26.92</b>	<b>0.781</b>	<b>0.223</b>
	NeRV	Learnit (MAML) [61]	28.86	0.871	0.140
		<b>GradNCP (Ours)</b>	<b>35.28</b>	<b>0.959</b>	<b>0.015</b>
		256×256×32	SIREN	TransINR [6]	——
Learnit / MAML [61]	——			OOM	——
<b>GradNCP (Ours)</b>	<b>22.92</b>			<b>0.640</b>	<b>0.521</b>
NeRV	Learnit / MAML [61]		23.75	0.659	0.422
	<b>GradNCP (Ours)</b>		<b>28.65</b>	<b>0.842</b>	<b>0.201</b>

NeRFs

Method	PSNR
Learnit [61]	22.80
TransINR [6]	23.78
<b>GradNCP (Ours)</b>	<b>24.06</b>

General (Few-shot)

Method	5-way 100-shot	10-way 50-shot
MAML [15]	66.03±0.82	48.95±0.52
<b>GradNCP (Ours)</b>	<b>73.45±0.83</b>	<b>55.71±0.49</b>

# Results: Qualitative

GradNCP achieves state-of-the-art performance on meta-learning neural fields in all modalities

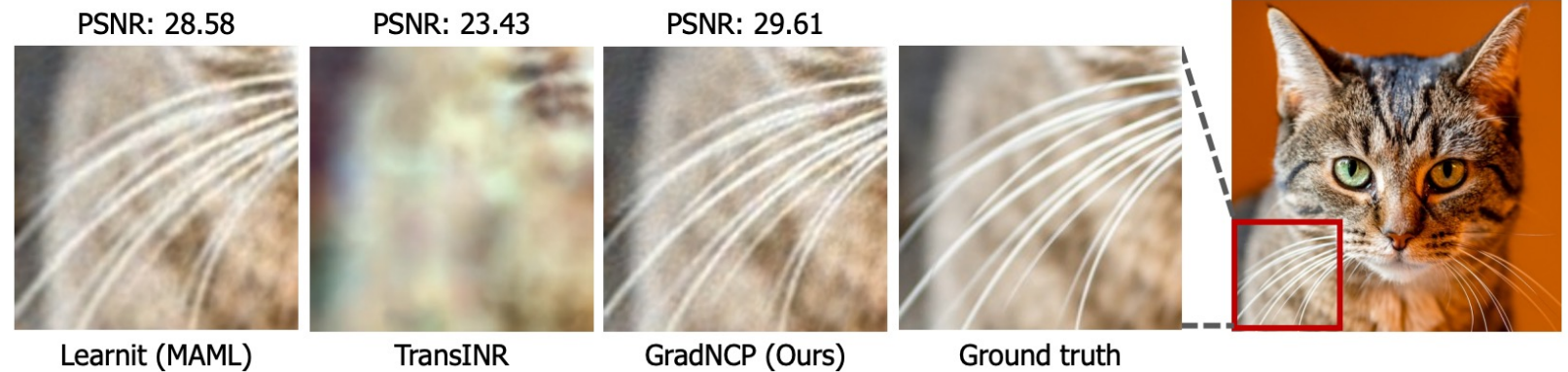
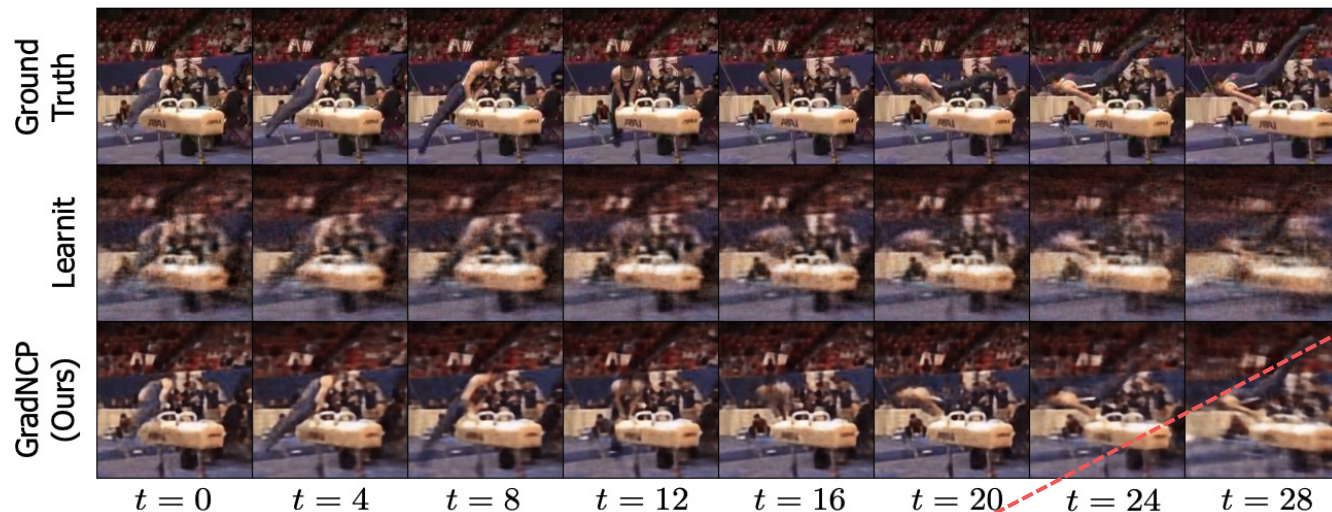


Figure 6: Qualitative comparison between GradNCP and baselines on AFHQ (512x512).



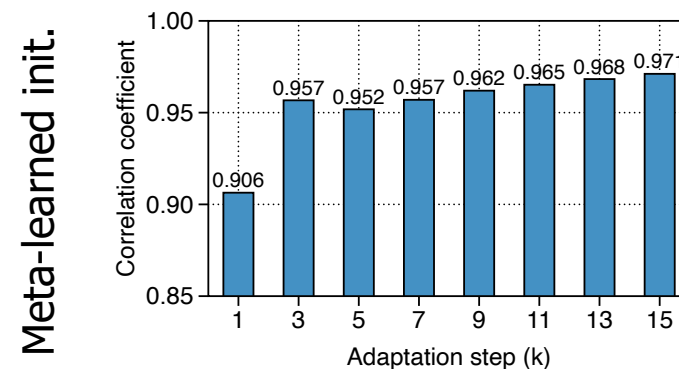
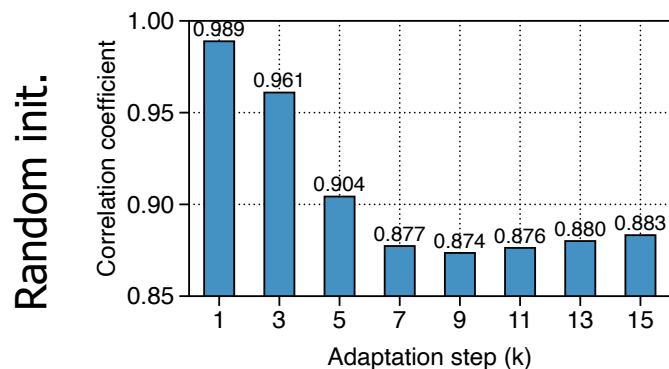
+ GradNCP is **model-agnostic framework** i.e., can be used for any neural fields

(b) UCF-101 (256x256x32) or NeRV

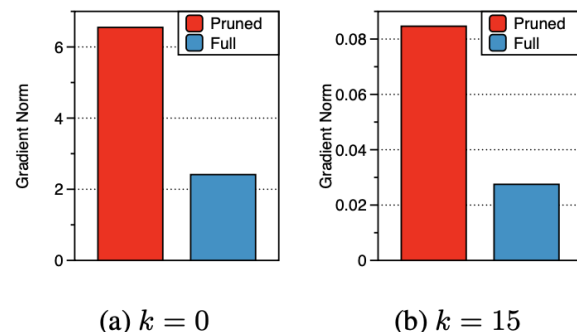
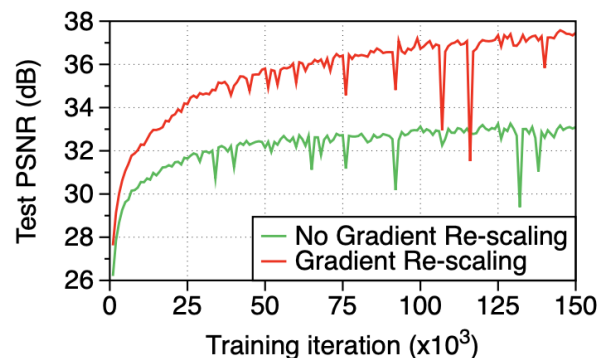
# Analysis

Quality of the last layer approximation? Shows a **high correlation** with the full-layer gradient norm

- + **Meta-learning automatically learns to improve this correlation**



Necessary to use gradient re-scaling when using the full context set during meta-testing



Reason for using gradient re-scaling:  
the gradient step size differs when using full/pruned context

Figure 7: Effect of meta-test time gradient re-scaling. We apply re-scaling when adapting with full context set on SIREN trained with GradNCP.

Figure 8: Gradient norm of the full context set  $\mathcal{C}_{full}$  and the gradient norm-based pruned context set  $\mathcal{C}_{high}^k$  at iteration  $k$ .



Thank you for your attention 😊

For any more questions, please send us an email!

Email: [jihoontack@gmail.com](mailto:jihoontack@gmail.com)